

# A Feedforward Amplifier using a Modulation Pilot and Bi-Orthogonal Demodulation for Loop Alignment Control

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# Goal

- Linear amplification of RF signals with large instantaneous bandwidths.
  - 100 MHz BW planned for LTE-Advanced.
- Pilot-based adaptive feedforward compensation.
  - Out-of-band pilots measurements are too far away from the actual signal for large BW's.
  - In-band pilots are acceptable.
- Reasonable cost.
  - Implement a modulation pilot approach.



# Other Goal

- Seeking collaboration.
  - The math shows potential for LTE.
  - Need to build a prototype and test.
- Warning.
  - This technique has been abandoned numerous times.

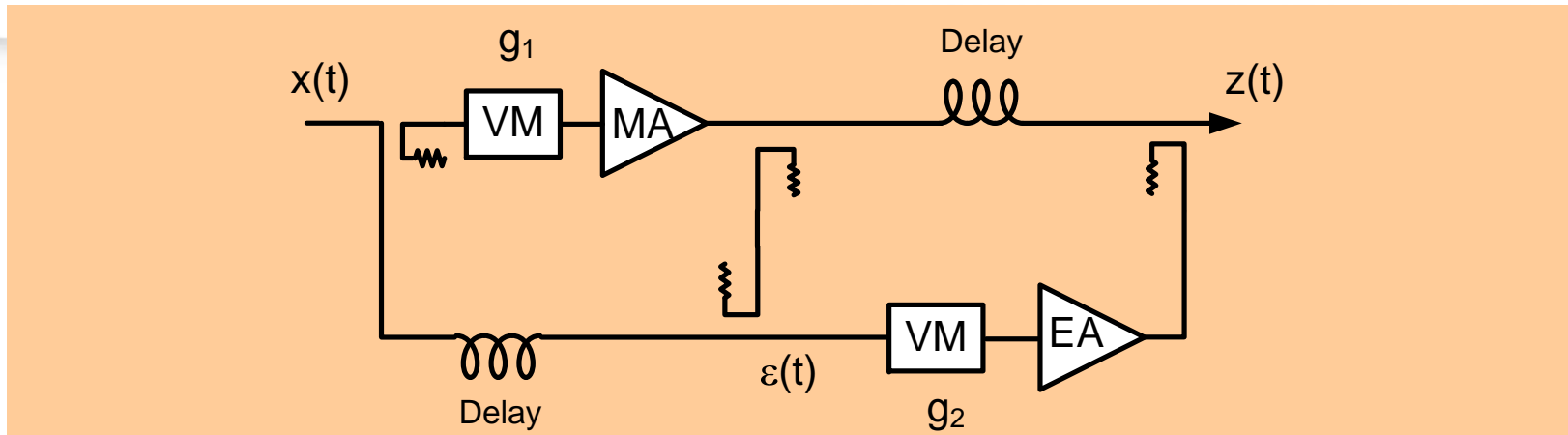


# Outline

- Background
  - Feedforward structure for linearization.
- Modulation pilot approach to 2<sup>nd</sup> loop adaptation.
  - Review original method proposed by Matz.
  - Discuss the short-comings which include biases.
- Propose a new modulation approach.
  - Use bi-orthogonal demodulation to avoid biases.
- Summary



# Feedforward Structure



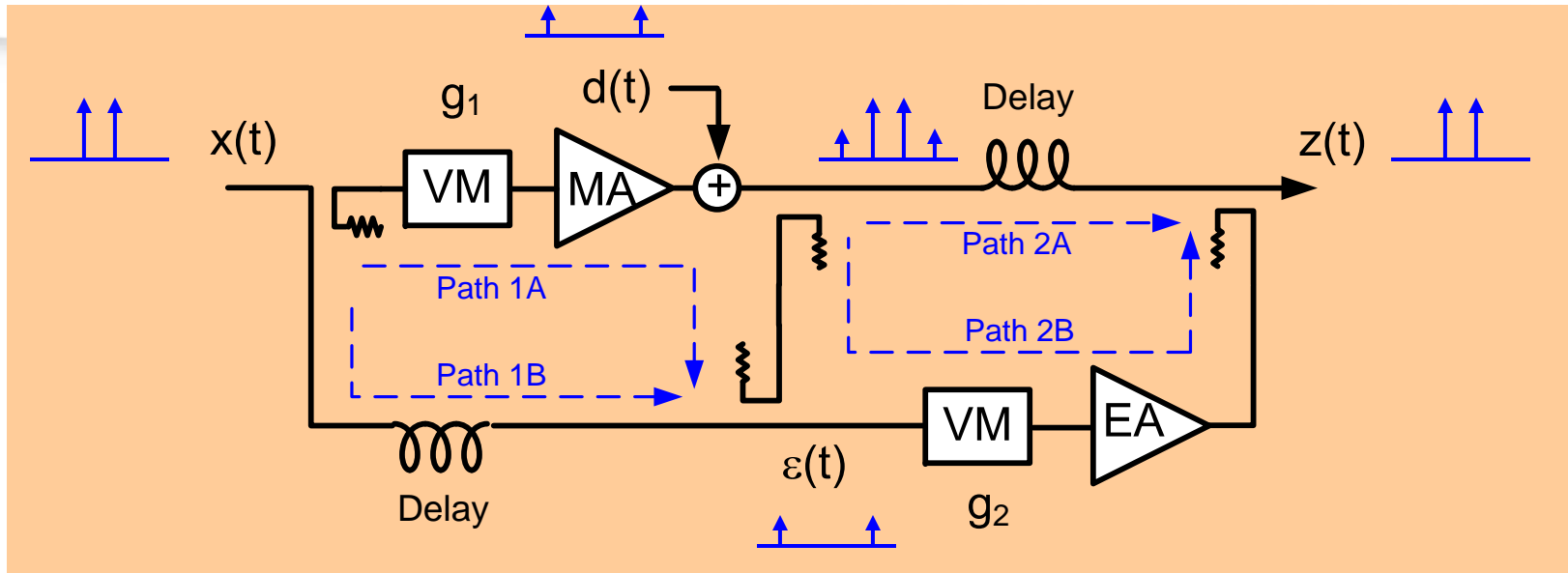
- Two amplifiers

- Main amplifier (MA) determines the power capability.
- Error amplifier (EA) determines linearity of system.

- Optimization

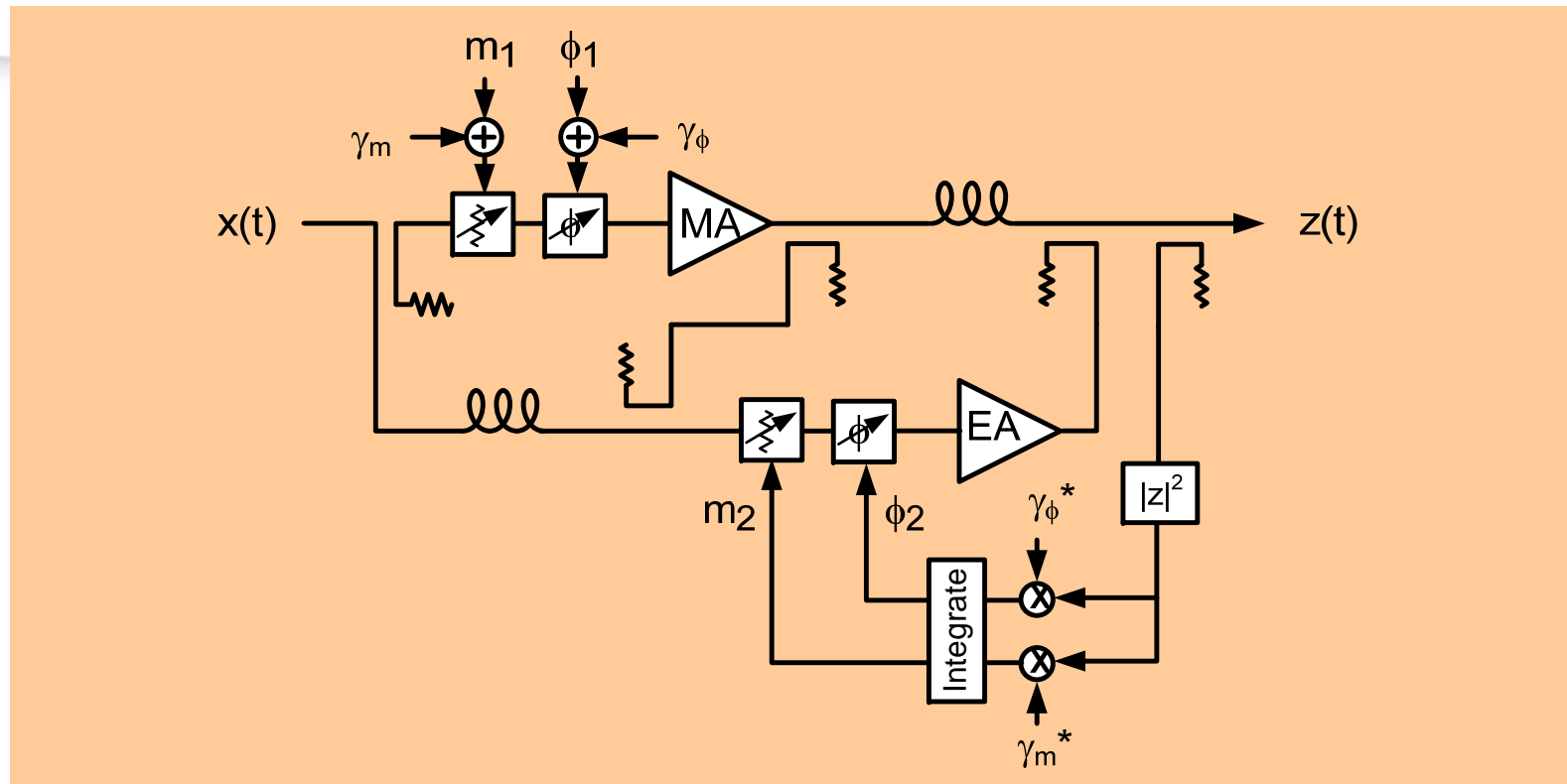
- Adjust gains  $g_1$  and  $g_2$  to minimize the distortion power in the output signal  $z(t)$ .

# Feedforward Linearization



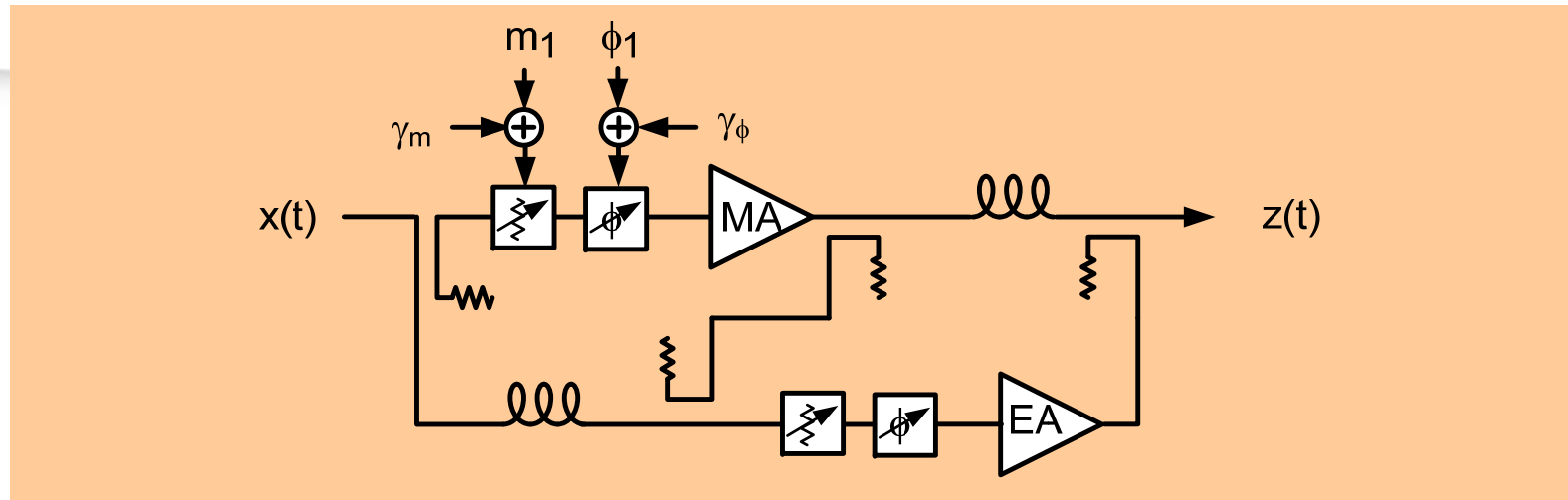
- **First cancellation loop (Path 1A-1B).**
  - Estimates of distortion  $d(t)$  generated within the MA path.
  - Select gain  $g_1$  to cancel linear signal within  $\varepsilon(t)$ .
- **Second cancellation loop (Path 2A-2B).**
  - Select gain  $g_2$  to cancel distortion within  $z(t)$ .

# Modulation Pilot (Matz, US Patent 5491454)



- Modulate 1<sup>st</sup> loop to control 2<sup>nd</sup> loop alignment.
  - Two modulation pilots,  $\gamma_m$  and  $\gamma_\phi$  (sine waves,  $\omega_m$  and  $\omega_\phi$ ).
  - Control  $(m_2, \phi_2)$  by demodulating  $|z|^2$  with  $\gamma_m$  and  $\gamma_\phi$ .

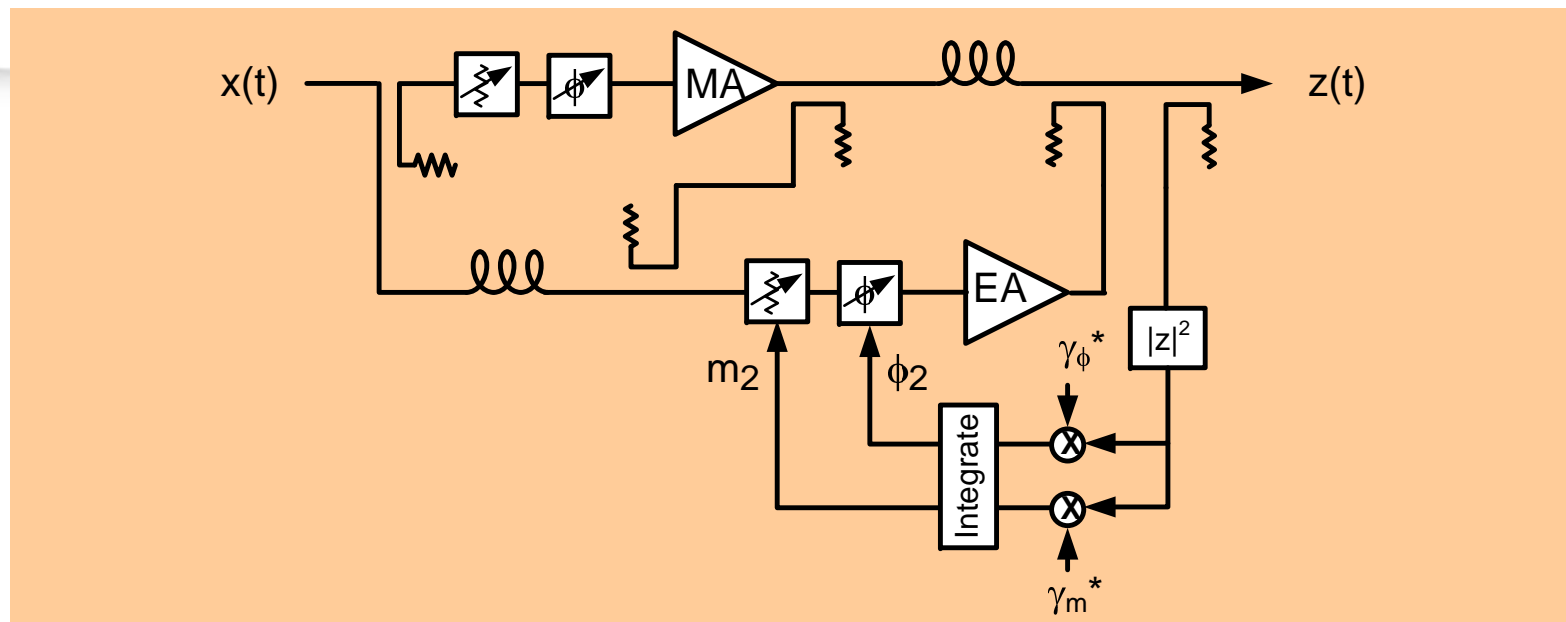
# Modulation Pilot (Matz)



- Amplifier gain
  - Main amplifier + coupling loss:  $G_o$ .
  - Error amplifier + coupling losses:  $g_{EA}$ .
- First loop alignment
  - $g_{1,static} = \exp\{ m_1 + j \phi_1 \}$
  - $\gamma_m$  and  $\gamma_\phi$  are modulation pilots.
  - $g_1 = g_{1,static} * \exp(\gamma_m + j \gamma_\phi)$



## Second Loop (Matz)



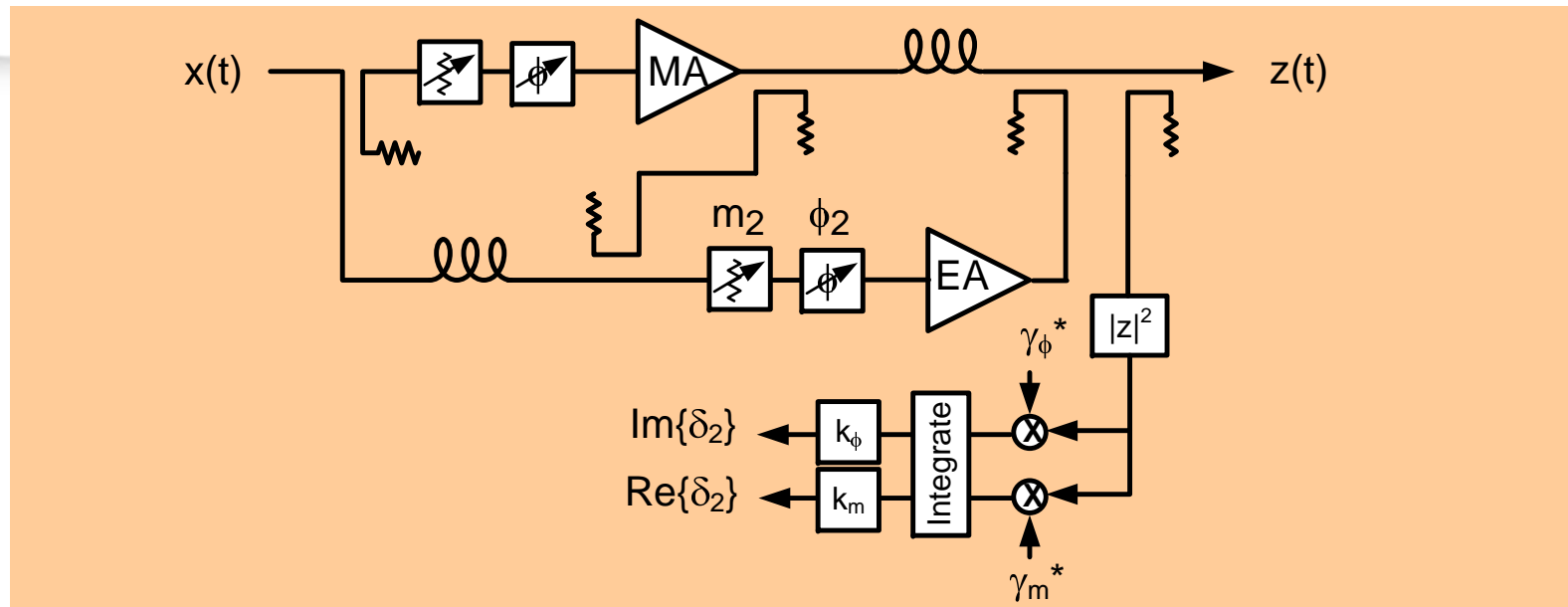
- **2<sup>nd</sup> loop alignment.**

- Optimal alignment denoted by  $g_{2,opt}$  where  $g_{2,opt} * g_{EA} = 1$ .
- Actual misalignment denoted by  $\delta_{2,actual}$ .
- $g_2 = \exp\{ m_2 + j \phi_2 \} = g_{2,opt} * \exp(-\delta_{2,actual})$ .

- **2<sup>nd</sup> loop cancellation.**

- $G_2 = (1 - g_2 * g_{EA}) \approx -\delta_{2,actual}$

## 2<sup>nd</sup> Loop Misalignment Estimate (Matz)



- Measured estimate of misalignment:  $\delta_2$ .

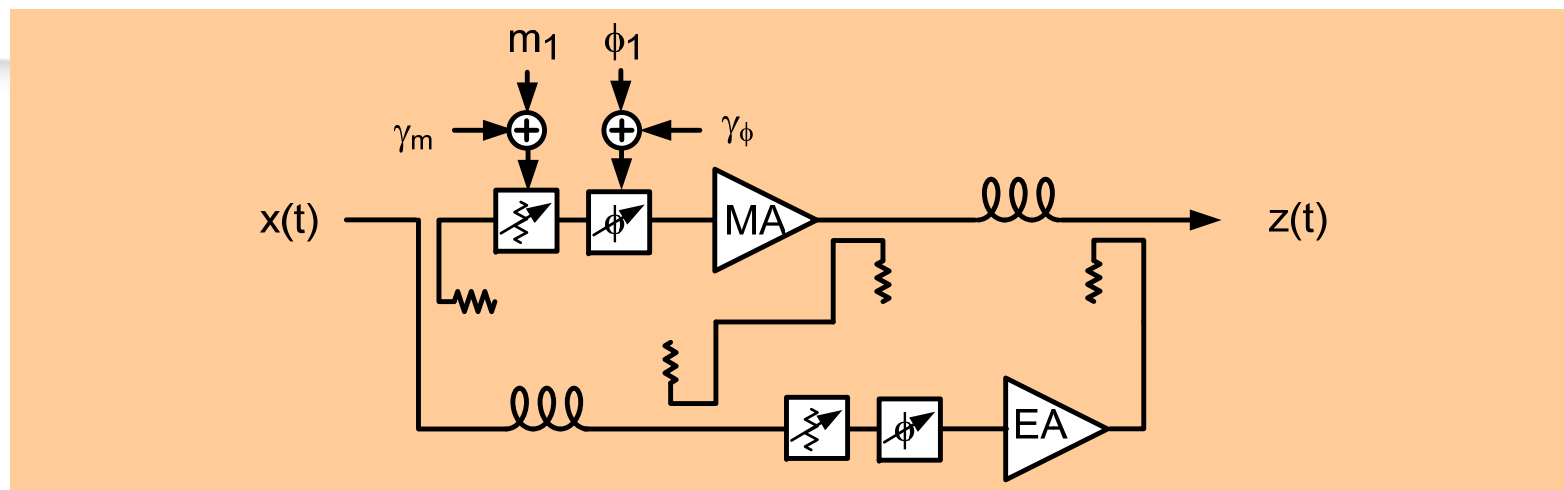
- $\text{Re}\{\delta_2\} = k_m \int |z|^2 \gamma_m^* dt$
  - $\text{Im}\{\delta_2\} = k_\phi \int |z|^2 \gamma_\phi^* dt$

- where

- $k_m^{-1} = |G_o|^2 [2 \int |x|^2 |\gamma_m|^2 dt ]$ ;  $k_\phi^{-1} = |G_o|^2 [2 \int |x|^2 |\gamma_\phi|^2 dt ]$



# FF Output (Matz)



- FF output  $z(t)$

- $z(t) = \text{linear signal} + \text{residual in-band pilot}$
- $z(t) = G_o * x(t) + \delta_2 * (\gamma_m + j \gamma_\phi) * G_o * x(t)$

- Residual pilot

- Modulation index  $|\gamma_m + j \gamma_\phi|$
- 2<sup>nd</sup> loop misalignment  $|\delta_2|$ .

# Demodulation Offsets (Matz)

- Demodulated squared magnitude of FF output
  - $\int |z|^2 \gamma_m dt = |G_o|^2 * [ A_1 + |\delta_2|^2 * (A_2+A_6) + \text{Re}\{\delta_2\} * B_1 ]$
  - $\int |z|^2 \gamma_\phi dt = |G_o|^2 * [ A_3 + |\delta_2|^2 * (A_4 +A_5)+ \text{Im}\{\delta_2\} * B_2 ]$
- Offset terms
  - $A_1 = \int |x|^2 \gamma_m^* dt$        $A_2 = \int |x|^2 |\gamma_m|^2 \gamma_m^* dt$
  - $A_3 = \int |x|^2 \gamma_\phi^* dt$        $A_4 = \int |x|^2 |\gamma_\phi|^2 \gamma_\phi^* dt$
  - $A_5 = \int |x|^2 |\gamma_m|^2 \gamma_\phi^* dt$        $A_6 = \int |x|^2 |\gamma_\phi|^2 \gamma_m^* dt$
- $A_1$  and  $A_3$  are the most significant offset terms.
  - $B_1 = 2 \int |x|^2 |\gamma_m|^2 dt > 0$        $B_2 = 2 \int |x|^2 |\gamma_\phi|^2 dt > 0$



# Steady State Bias (Matz)

- Measured estimate of  $\delta_2$

- $\int |z|^2 \gamma_m dt / (B_1 * |G_o|^2) \approx (A_1 / B_1) + \text{Re}\{\delta_2\}$

- $\int |z|^2 \gamma_\phi dt / (B_2 * |G_o|^2) \approx (A_3 / B_2) + \text{Im}\{\delta_2\}$

- Steady state

- Alignment bias:  $|\delta_{2,ss}| = | (A_1 / B_1) + j (A_3 / B_2) |$

- Second loop cancellation:  $|G_{2,ss}| = |\delta_{2,ss}|$

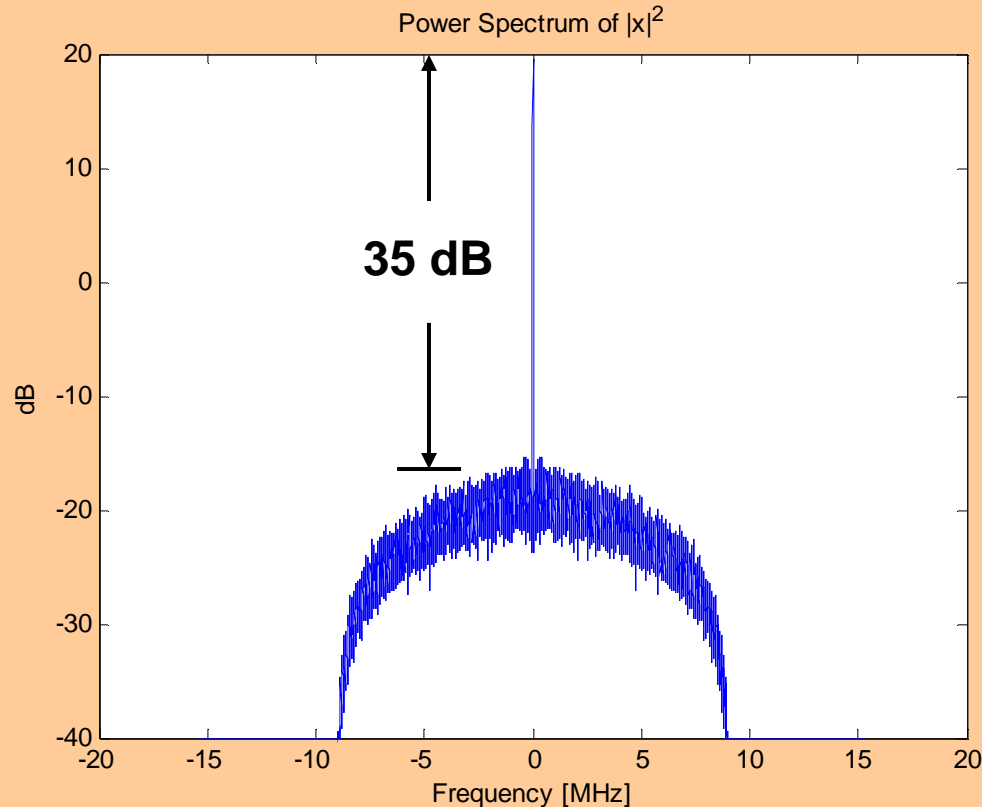
- Important terms

- $A_1 = \int |x|^2 \gamma_m^* dt$  ;       $A_3 = \int |x|^2 \gamma_\phi^* dt$

- $B_1 = 2 \int |x|^2 |\gamma_m|^2 dt$  ;       $B_2 = 2 \int |x|^2 |\gamma_\phi|^2 dt$



# Power Spectrum of $|x|^2$ for DL-LTE



- Magnitude pilot

- $\gamma_m = \sin(2\pi f_m t)$
- $f_m = 100$  kHz

- Phase pilot

- $\gamma_\phi = \sin(2\pi f_\phi t)$
- $f_\phi = 120$  kHz

- Assume  $|\gamma| = |\gamma_m| = |\gamma_\phi| = 0.1$  and 1 kHz RBW

- $|G_{2,ss}| = E[|\delta_{2,ss}|] \approx -35$  dB  $- 20 \log|\gamma| = -15$  dB
- Residual pilot at FF output = -35 dB.



# Summary (Matz)

- **Steady state offset**
  - Fundamental limitation of Matz approach.
  - Pilots are not orthogonal to  $|x|^2$ .
- **Distortion cancellation**
  - Determined by steady state offset.
  - Can be improved by increasing pilot modulation level  $|\gamma|$ .
- **Residual pilot**
  - Determined by the power spectrum of  $|x|^2$  and pilot frequency.
  - Independent of pilot modulation level.
  - Increases EVM of transmitted DL-LTE.



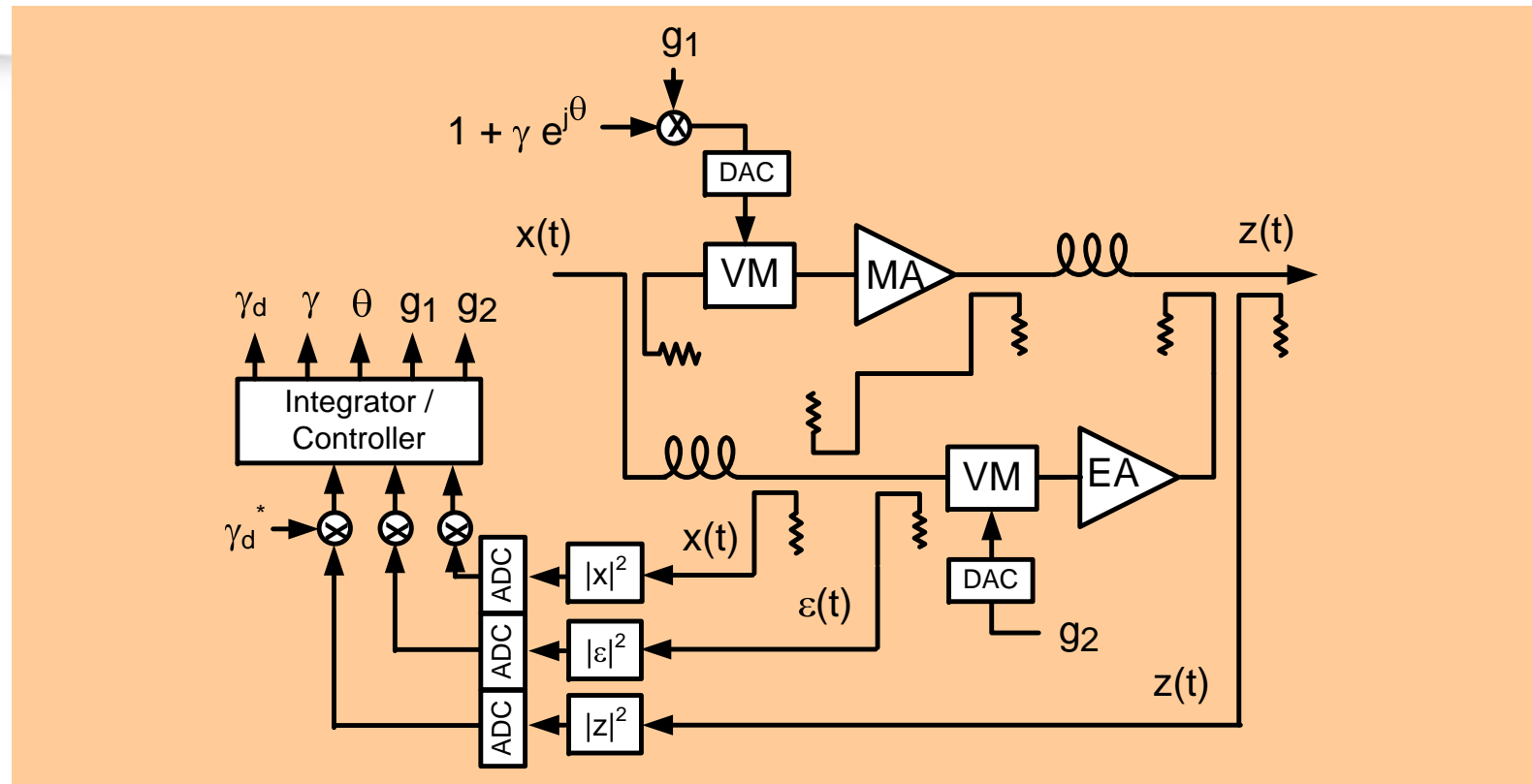
# Avoiding Biases (Matz)

- Conditions on  $\gamma_m$  and  $\gamma_\phi$  to avoid bias in  $g_2$ .
  - $[A_1 \dots A_6] = [0 \ 0 \ 0 \ 0 \ 0 \ 0]$ .
  - $[B_1 \ B_2] > [0 \ 0]$ .
- In general, the conditions are not met.
  - $A_1 = 0$  and  $B_1 > 0$  requires  $\gamma_m$  to be orthogonal to  $|x|^2$ .
  - $A_3 = 0$  and  $B_2 > 0$  requires  $\gamma_\phi$  to be orthogonal to  $|x|^2$ .
- Important terms
  - $A_1 = \int |x|^2 \gamma_m^* dt$  ;       $A_3 = \int |x|^2 \gamma_\phi^* dt$
  - $B_1 = 2 \int |x|^2 |\gamma_m|^2 dt$  ;       $B_2 = 2 \int |x|^2 |\gamma_\phi|^2 dt$





# Modulation Pilot and Bi-orthogonal Demod.



- **Alternative to Matz.**

- Use separate pilots for modulation  $\gamma$  and demodulation  $\gamma_d$ .
- Select pilots to be bi-orthogonal to  $|x|^2$ .
- Digital controller.

# Differences from Matz's Implementation

- Modulate  $g_1$  along one dimension at a given time.
  - Modulation direction  $\theta$ .
  - Fewer orthogonality conditions to fulfill.

- Select a modulation and demodulation pilot pair  $(\gamma, \gamma_d)$  such that

$$A_1 = \int |x|^2 \gamma_d^* dt = 0$$

$$A_2 = \int |x|^2 |\gamma|^2 \gamma_d^* dt = 0$$

$$B_1 = 2 \int |x|^2 \gamma \gamma_d^* dt > 0.$$

- Choose  $\gamma_d$  as a function of  $|x|^2$  to fulfill orthogonality condition.

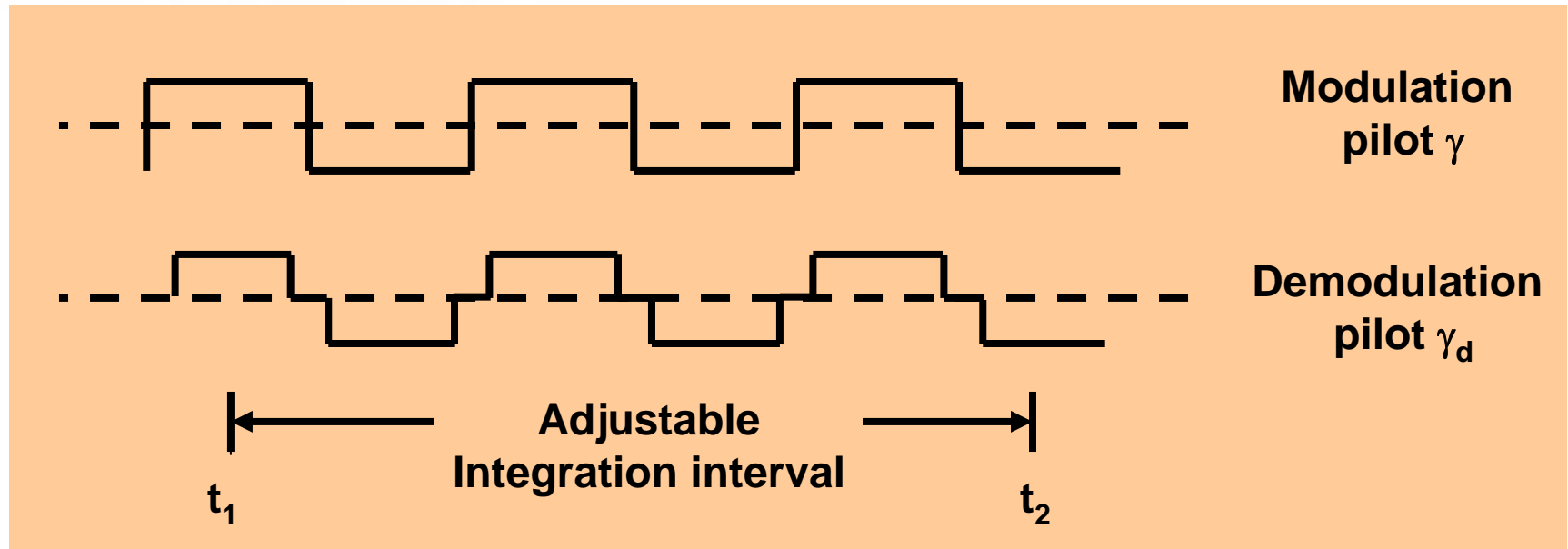


# Bi-Orthogonal Pilot

- Select binary modulation pilot  $\gamma = \pm\rho$ .
  - Reduces orthogonality to one equation.
  - $A_2 = |\rho|^2 A_1$
- Select demodulation pilot  $\gamma_d$ 
  - $\gamma_d(t) = \gamma(t)$  or 0 (masked).
  - $\gamma\gamma_d^* = |\gamma_d|^2$  which makes  $B_1 > 0$ .
    - $B_1 = \int_{t_1}^{t_2} |x|^2 |\gamma_d|^2 dt > 0$ .
  - Adjust  $t_1$ ,  $t_2$ , and masking of  $\gamma_d$  to make offset zero.
    - $A_1 = \int_{t_1}^{t_2} |x|^2 \gamma_d^* dt = 0$ .
  - Adjustments made in DSP after  $|x|^2$  and  $|z|^2$  have been digitized and captured.



# Modulation and Demodulation Pilots



- Integration interval adjusted so that
  - $A_1 = \int_{t_1}^{t_2} |x|^2 \gamma_d^* dt = 0.$
- Masking shown above reduces sensitivity to time misalignments between  $|x|^2$  and  $|z|^2$ .

# Alignment Update (Bi-Orthogonal Pilot)

- 2<sup>nd</sup> loop misalignment estimate
  - $\Delta_2 = \text{Re}\{\delta_2^* \exp(j\theta)\} = k \int_{t_1}^{t_2} |z|^2 \gamma_d^* dt$
  - $k^{-1} = |G_o|^2 * \int_{t_1}^{t_2} |x|^2 |\gamma_d|^2 dt$
- 2<sup>nd</sup> loop alignment update
  - $g_2(t_{n+1}) = g_2(t_n) * [ 1 + \Delta_2 * \exp(j\theta) ]$
- Alternate modulation directions
  - $\theta(t_{n+1}) = \text{mod}\{ \theta(t_n) + \pi/2, \pi \}$





# Conclusion

- **Second loop control of a feedforward PA**
  - In-band pilot obtained by modulating the alignment control of the first loop.
- **Bi-orthogonal demodulation pilot**
  - Avoids steady state alignment offsets.
- **Has potential for DL-LTE Advanced applications.**



# Thank You.

- Questions?

